

Theory for coupled photonic systems derived from first principles and its applications in line-shape tailoring

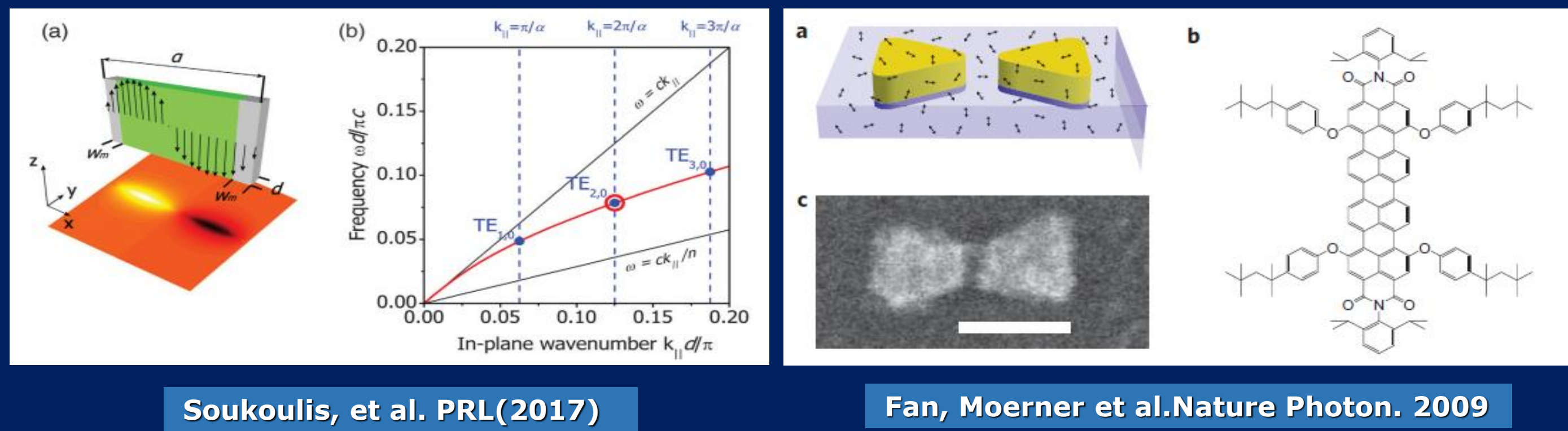
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I. Background and Motivations

Coupled plasmonic systems play important roles

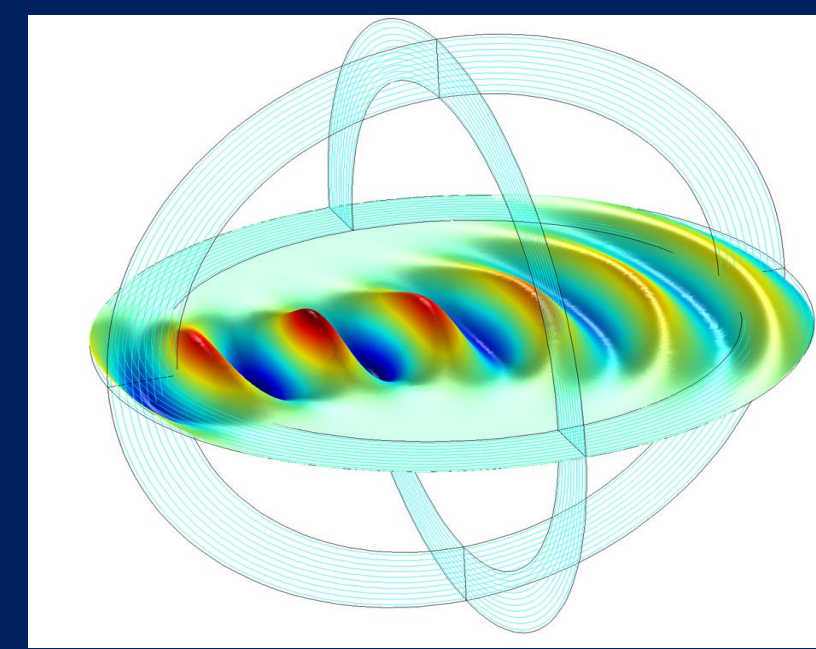


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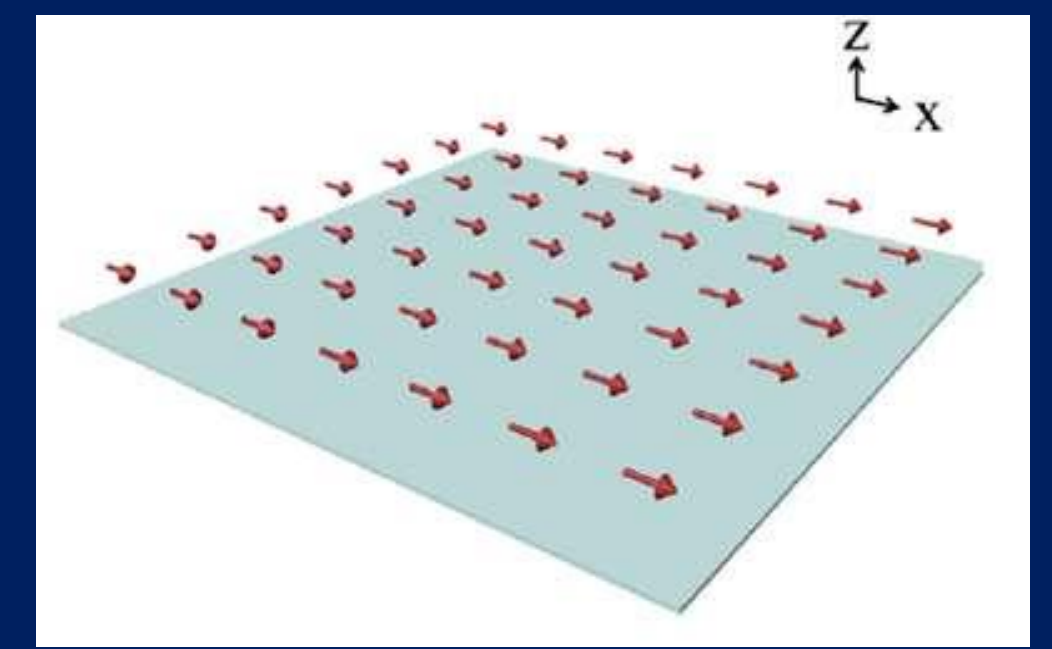
Existing theories for plasmonic coupled system

Numerical: simulation DDA etc.



LITTLE physical understandings

Fitting: CMT dipolar model etc



fitting & Cannot predict

Lack a theory framework !

II. Development of the theory

(1) A formal theory applicable to all kinds of waves

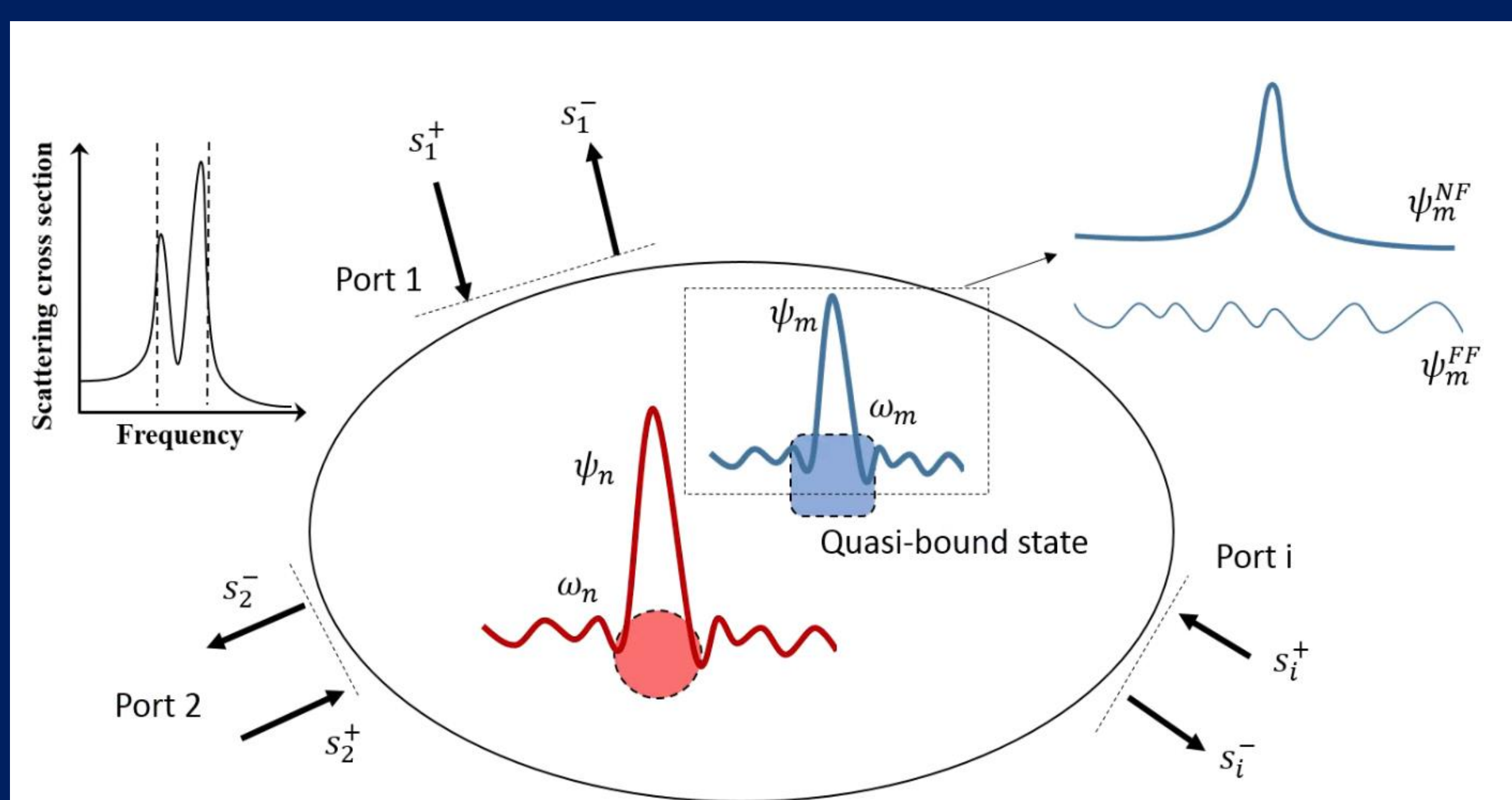


FIG. 1 Schematics of the coupled photonic systems and the quasibound state of an open system.

$$i \frac{\partial}{\partial t} |\Psi\rangle = \hat{H} |\Psi\rangle \text{ with eigen functions } \begin{cases} |m\rangle = |m^{NF}\rangle + |m^{FF}\rangle \text{ (discrete)} \\ |n\rangle \text{ (continue)} \end{cases}$$

Project :

$$\dot{a}_m = -i\omega_m a_m - \Gamma_m a_m + \sum_{m' \neq m} (-it_{mm'}) a_{m'} + \sum_{m' \neq m} X_{mm'} a_{m'} + \sum_n \kappa_{mn} s_n^+$$

$$s_n^- = \sum_{n'} c_{nn'} s_{n'} + \sum_m d_{nm} a_m$$

with:

$$\Gamma_m = \langle m^{NF} | V_m | m^{FF} \rangle_V \quad X_{mm'} = \langle m^{NF} | V_m | m'^{FF} \rangle_V \quad \kappa_{mn} = \langle m^{NF} | V_m | n^+ \rangle_V$$

$$d_{nm} = \langle n^- | m^{FF} \rangle_S \quad \text{all parameters obtained directly}$$

(2) Experimental verifications

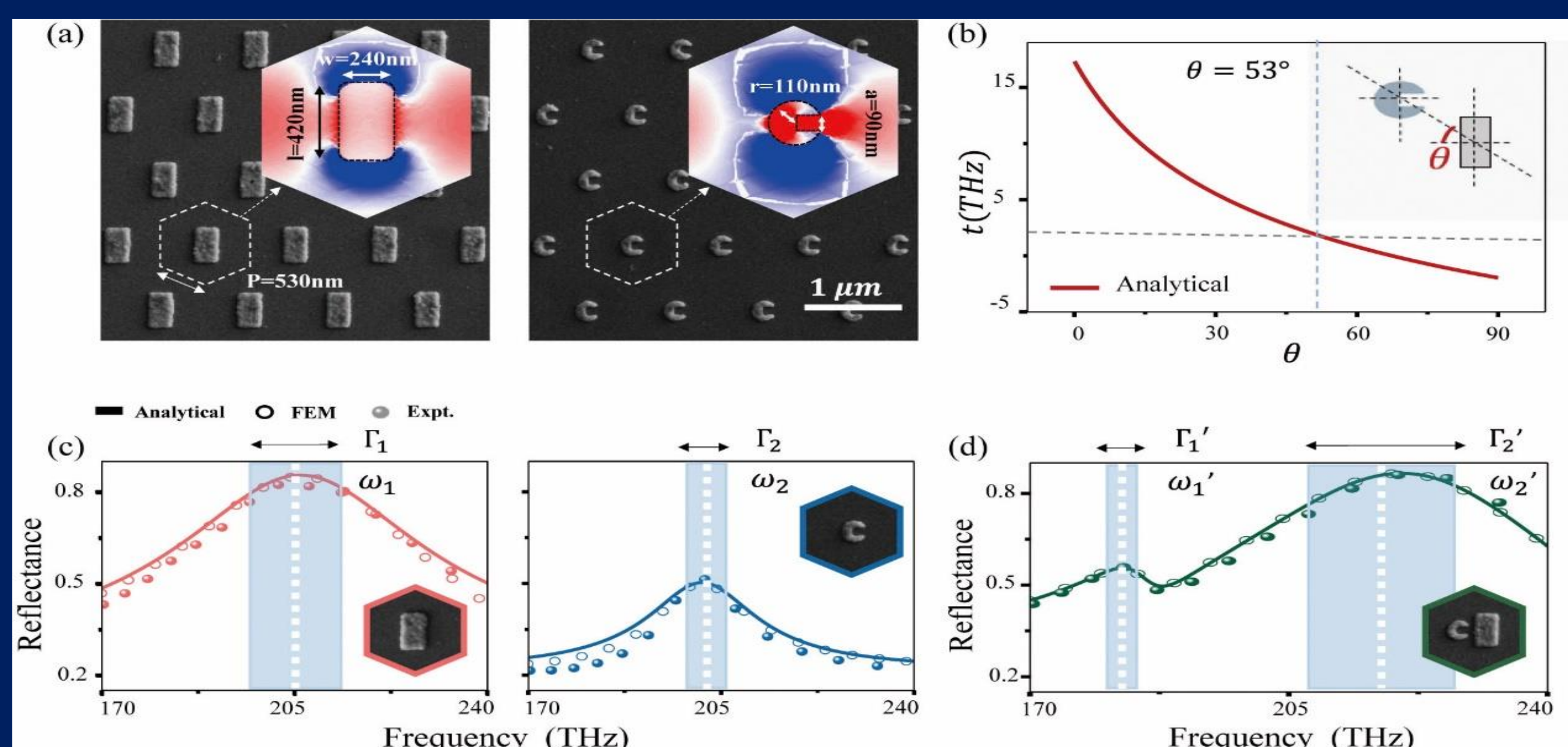


FIG. 3 Theroretical(line), simulated(circle) and experimental (solid circle) reflectance of the system .

III. Phase diagram for guiding line-shape design

$$H = \begin{pmatrix} \omega_1 - i\Gamma_1 & t_{12} + iX_{12} \\ t_{21} + iX_{21} & \omega_2 - i\Gamma_2 \end{pmatrix} \rightarrow \begin{pmatrix} \tilde{\omega}_1 - i\tilde{\Gamma}_1 & 0 \\ 0 & \tilde{\omega}_2 - i\tilde{\Gamma}_2 \end{pmatrix}$$

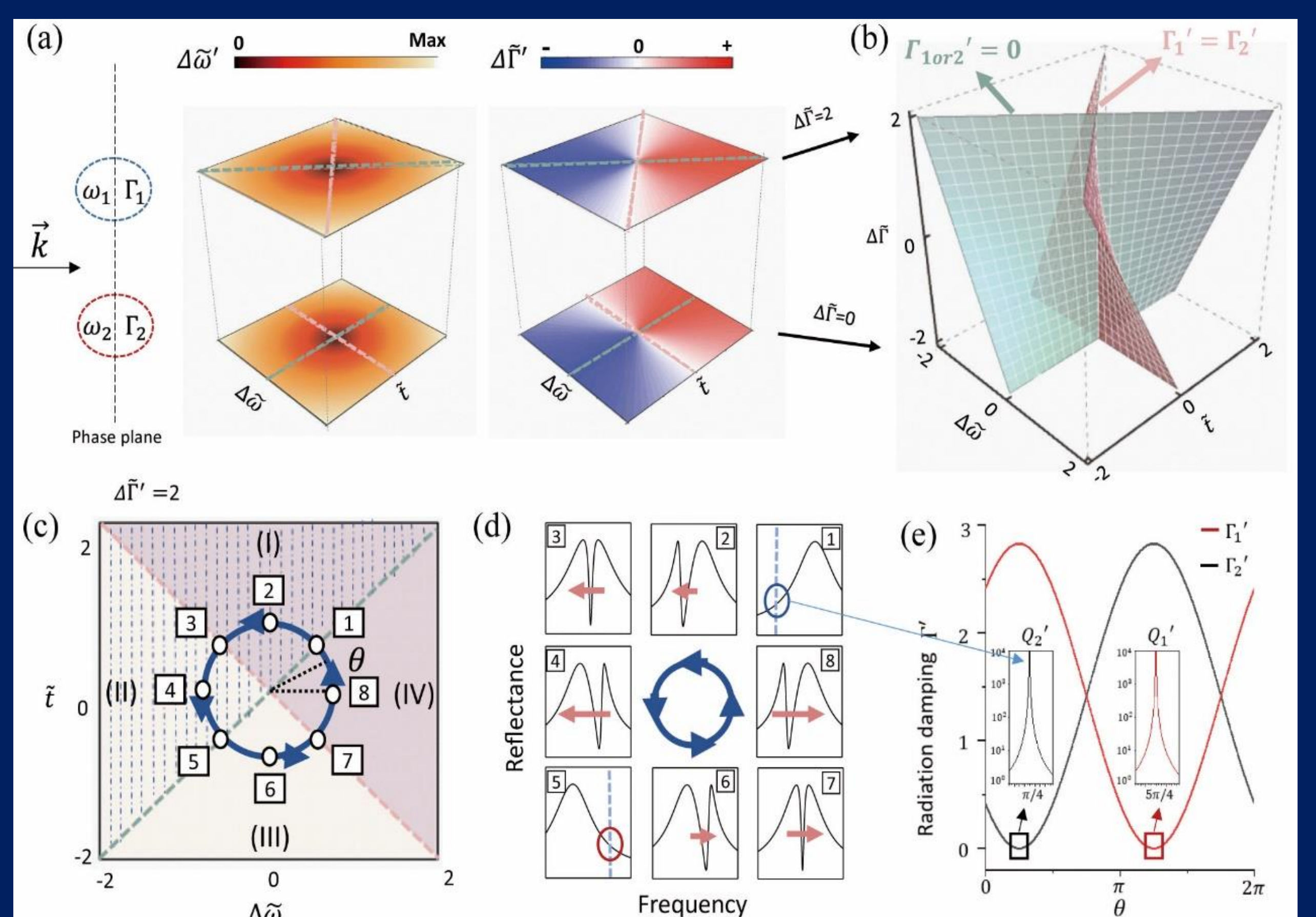


FIG. 4. Schematics of (a) the system contains of two modes in a phase plane.

IV. Experimental verification: line-shape control by design wavefunction

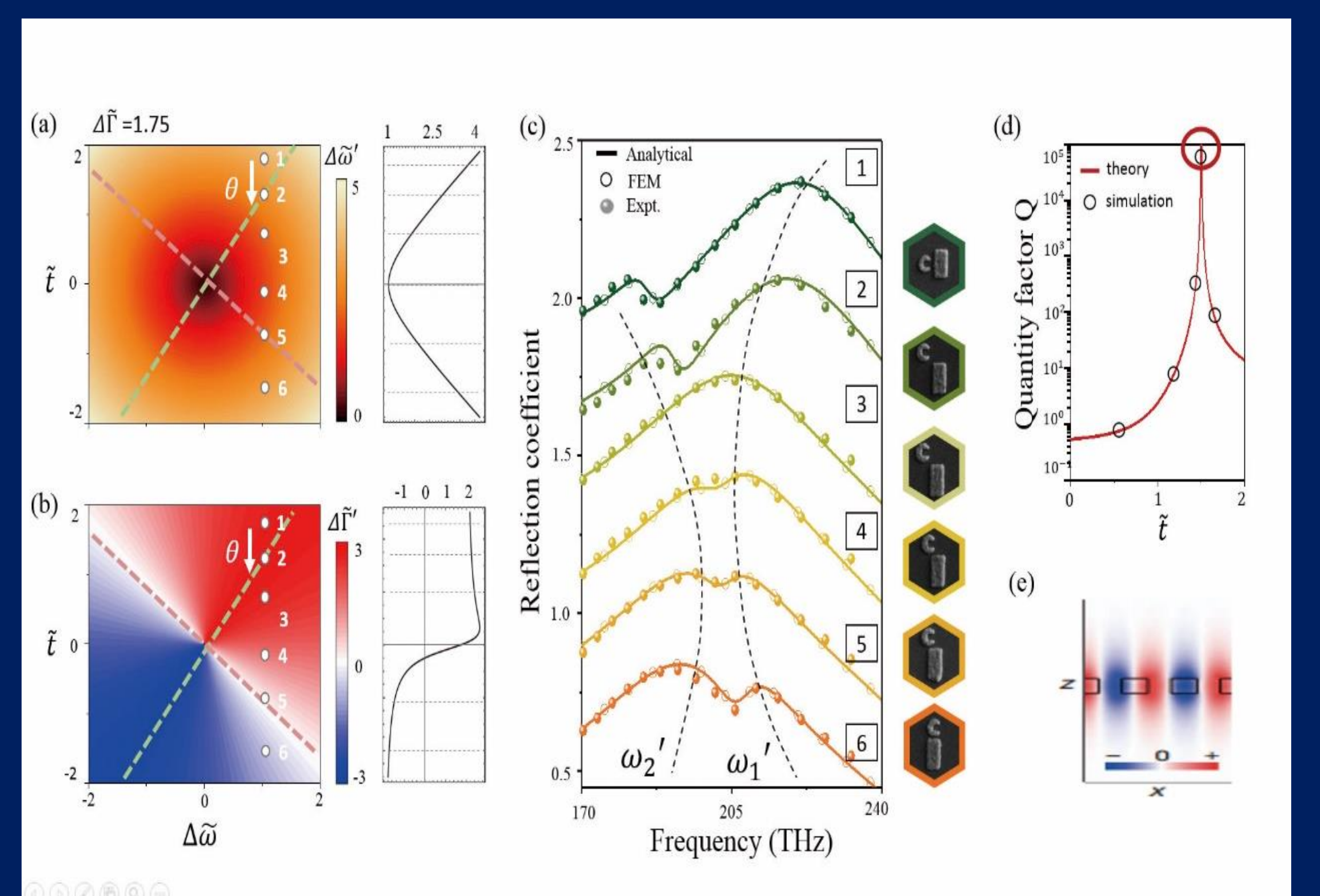


FIG. 4 Theroretical(line), simulated(circle) and experimental (solid circle) reflectance of the system .

Conclusions

- Established a theory for coupled photonic systems derived from first principles.
- We can predict interesting optical effects in complex plasmonic system

References

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