Non-reciprocity and quantum correlations of light transport in hot atoms via reservoir engineering

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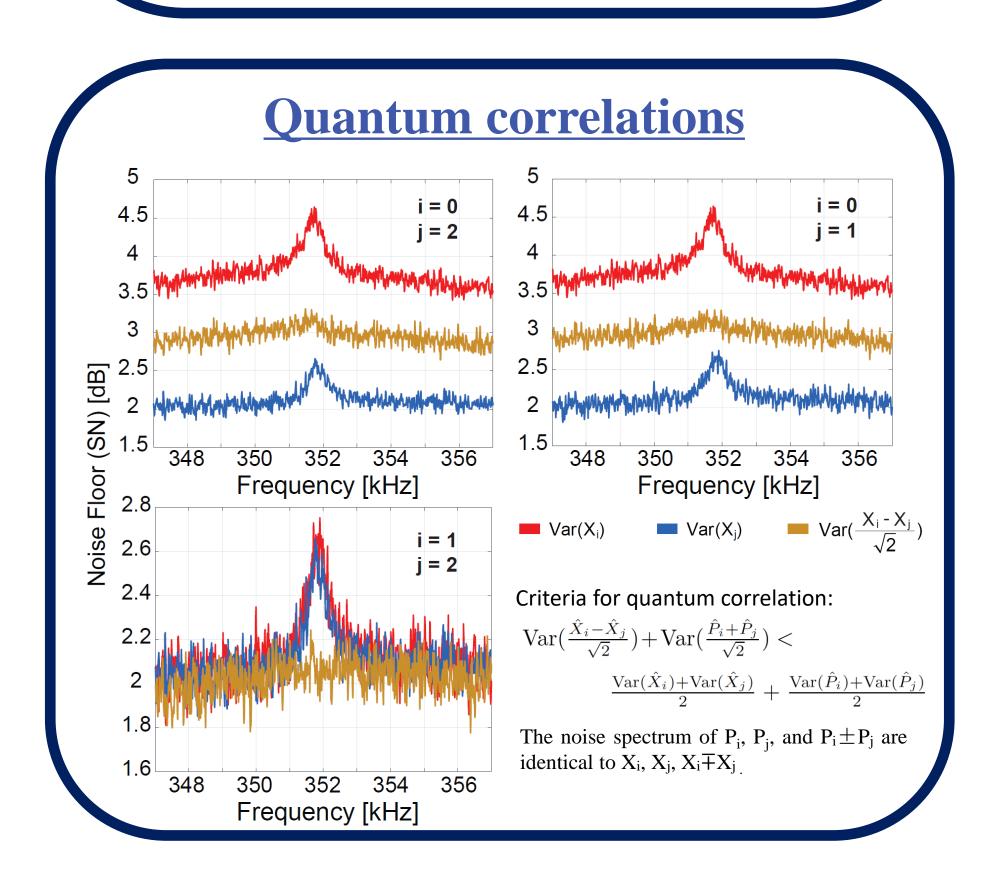
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Abstract: The breaking of reciprocity is a topic of great interest in fundamental physics and optical information processing applications. We demonstrate non-reciprocal light transport in a quantum system of hot atoms by engineering the dissipative atomic reservoir. Our scheme is based on the phase-sensitive light transport in a multichannel photon-atom interaction configuration, where the phase of collective atomic excitations is tunable through external driving fields. Remarkably, we observe inter-channel quantum correlations which originate from interactions with the judiciously engineered reservoir. The non-reciprocal transport in a quantum optical atomic system constitutes a new paradigm for atom-based, non-reciprocal optics, and offers opportunities for quantum simulations with coupled optical channels.

Experimental Setup Cross-section (a) Vapor Cell Input beams B field **Experiment schematics.** Three spatially separated optical channels propagate in a warm paraffin-coated Rb⁸⁷ vapor cell under EIT interaction. The inter-channel couplings are mediated by the mixing of atomic spin of the ground states through atomic motion. (b) (b1) OR Control Probe Control Ch1 Ch2 Control Control Probe ** The three-level scheme in three channels. The ground states are Zeeman sublevels of F = 2, and the excited state is F = 1 of the 87Rb⁸⁷ D1 line. In the measurements of quantum fluctuation, all three weak probes are removed as shown in (b2) (Ch1 and Ch2 are not shown).



Non-Hermitian Coupling Hamiltonian 1 Atoms: $H' = \begin{bmatrix} |\Delta_0| - i\gamma_{12}' & i\Gamma_c \\ i\Gamma_c & -|\Delta_0| - i\gamma_{12}' \end{bmatrix}$ Eigenvalues: $\omega_{\pm} = -i\gamma_{12}' \pm \sqrt{\Delta_0^2 - \Gamma_c^2}$ 190 $\Gamma_{\rm c} > |\Delta_0|$ $\Gamma_{\rm c} > |\Delta_{\rm O}|$ ∯ 170 150 Exceptional point No couplir <u></u> 140 100 100 20 120 $2|\Delta_{0}|$ (Hz) $2|\Delta_{0}|$ (Hz) Peng Peng, Wanxia Cao, Ce Shen, Weizhi Qu, JianmingWen, Liang Jiang and Yanhong Xiao, Antiparity—time symmetry with flying atoms, *Nature Physics*, 12, 1139–1145 (2016) 2 Photons(1): CH1: $\widehat{H}_1 \propto \widehat{a}_1^{\dagger} \widehat{S}^{\dagger} + h.c.$ Two-mode squeezing: $H \propto \widehat{a}_l^{\dagger} \widehat{b}_u^{\dagger} + h.c.$ CH0: $\widehat{H}_2 \propto \widehat{b}^{\dagger} \widehat{S} + h.c.$ • $Var(X_1)$ se Floor (SN) [dB] • $Var(X_2)$ Quanum Discord • $Var(X_1-X_2)$ **Detection Frequency** 200 100 342 344 346 348 350 352 354 356 358 360 362 Δ_0 [Hz] Detection Frequency [kHz] Wanxia Cao, Xingda Lu, Xin Meng, Jian Sun, Heng Shen, and Yanhong Xiao, Reservoir-mediated quantum correlations in non-Hermitian optical system, *Phys. Rev. Lett.* 124, 030401 (2020) $\begin{array}{ll} \textbf{3) Photons(2):} & \text{CH1: } \widehat{H}_1 \propto \widehat{a}_1^{\dagger} \widehat{S}^{\dagger} + h.c. \\ & \text{CH2: } \widehat{H}_2 \propto \widehat{a}_2^{\dagger} \widehat{S}^{\dagger} + h.c. \end{array} \end{array}$ Beam splitter: $H \propto \widehat{a}_1^{\dagger} \widehat{a}_2 - h.c.$ (a) $H_{eff} \propto \sum_{\cdot \cdot \cdot}^{i \neq j} \hat{a}_i^{\dagger} \hat{a}_j e^{-i\varphi_{ij}} - \hat{a}_i \hat{a}_j^{\dagger} e^{i\varphi_{ij}}$ Ch1 Ch1 Ch2 Ch2 (b) ×10⁻³ Transported power [a.u.] Red curve T_{12} is the transported T₁₂ power from Ch1 to Ch2 when injecting the weak probe in Ch1. Black curve T_{21} is the transported power from Ch2 to Ch1 when injecting the weak probe in Ch2. The local phase of all three channels is set to be: $\theta_0 = 0$, $\theta_1 = 0$ -750 -250 500 250 and $\theta_2 = \pi$. The input power of the $\delta_{\rm B}$ [Hz] probe in each channel is 50 μW. The

input power of the control in each

channel is 500 μ W. The cell

temperature is 60C.

(a) Schematics of the non-reciprocal transport.

to the applied common magnetic field.

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(b) Transport spectrum. The two-photon detuning δ_B is proportional

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