

Spinor Matter-Wave Control with Nanosecond Spin-Dependent Kicks

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> Motivations

Ultra-precise control of spinor matterwave is instrumental to atom interferometry and other ultra-cold experiments for achieving quantum enhanced performances. Traditionally, precise Raman control requires the differential light shifts to be nullified at proper sideband intensity ratios [1], at the expense of significant spontaneous emission. On the other hand, the THzlevel ``magically detuned'' Spin-dependent kicks (SDK) for ion traps [2-3] is too power-demanding for large samples.

Here, we propose and demonstrate an adiabatic SDK technique, operated in an intermediate regime of detuning, for achieving deeply subwavelengthresolved spinor phase gates in a laser power-efficient manner. We show in presence of the multi-level couplings in such regime, the coherent spin leakage and Stark shifts can nevertheless be well-controlled. Experimentally, we break the detuning-dependent SDK speed barrier by spatially resolving nanosecond Raman pulses on an optical delay line, for the first time [4].

> Pulse Sequence

- Adiabatic rapid passage (ARP)
- $\begin{cases} \Omega_R(t) = C_R^{(0)} \sin(\pi t/\tau_c) \\ \delta_R^b(t) = \delta_{swp} \cos(\pi t/\tau_c) \end{cases}$
- Chirp-alternating adiabatic SDKs
- 1) Positive and negative chirped pulse



> Adiabatic SDK on a Hyperfine Manifold



 $\begin{cases} \delta_{R,u}^{b}(t) = \delta_{swp} \cos(\pi t/\tau) \\ \delta_{R,d}^{b}(t) = -\delta_{swp} \cos(\pi t/\tau) \end{cases}$

2) $\widetilde{U}_{uddu}^{(4N)}(\mathbf{k}_R) = \widetilde{U}_u(\mathbf{k}_R)\widetilde{U}_d(-\mathbf{k}_R)\widetilde{U}_d(\mathbf{k}_R)\widetilde{U}_u(-\mathbf{k}_R)$

> Experimental Results

Momentum transfer measurement







• Inference of f_{SDK}





Delay-line Based Nanosecond SDKs

• D1 line quantum control pulse • generation setup delay line



Nanosecond SDKs on an optical



- □ frequency-chirped optical waveforms are programmed by an OAWG
- □ 140ns optical delay line, long enough to spatially resolve nanosecond pulses (shorter in the future)
- **C** cross-linear, multi-Zeeman control

> Conclusion

We extend the Raman adiabatic SDK technique into the nanosecond regime. Counter-propagating frequency-chirped laser pulses are programmed on an optical delay line to parallelly drive five $\Delta m=0$ hyperfine Raman

5 10 15 20 25 0.900 1.0 10 15 20 25 \mathcal{A}_R/π $f_{\rm SDK} \approx 97.6(3)\%$ Raman transfer efficiency $f_{\rm R} \approx 98.8\%$ Geometric Spinor Matterwave Control Numerical results of Phase gate **Robust cancellation of** infidelity dynamic phase m = 0r = 0.5SDK $U^{(4)}_{
m uuuu} \left({f k}_{
m R}
ight)$ φ_D ≥ 64 2 32 18 9 \mathcal{A}_R/π 18 27 27 18 \mathcal{A}_{R}/π $m = \pm 1$ A_R/π ≥ 64 $U_{
m uddu}^{(4)}({f k}_{
m R})$ r = 0.5⁵DK φ_D log₁₀(1 2 32 $-\pi_{0}^{+}$ 27 0 18 27 9 9 18 18 9 \mathcal{A}_{R}/π \mathcal{A}_R/π $m = \pm 2$ \mathcal{A}_R/π **Reference**

1.Kasevich, M. & Chu, S. Appl. Phys. B 54, 321–332 (1992). **2.**Mizrahi, J. et al. Phys. Rev. Lett. 110, 203001 (2013).

3.Barrett, M. D. et al. Aip. Conf Proc 770, 350–358 (2005).





