# Low-threshold optical bistabilities in ultra-thin plasmonic films

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## **Backgrounds:**

Optical bistability can be used as optical switching, optical memories, optical transistors, optical diode, and optical computing.





### **Problem:**

- Incident light needs high  $\bullet$ power
- **Devices must be comparable**  $\bullet$ to wavelength to sustain a FP mode

# **Motivation:**

• A new mechanism to achieve

# **Discussions:**

Film-thickness dependences of the threshold field and saturation field



**OB** at low input power

**Device with a miniaturized** size

Threshold of HMP much smaller than FP slab

**Mechanism is different: k=0 mode and field enhance** 

#### **OB** threshold and saturation fields in systems with different thicknesses



> Transmission peaks insensitive to film thickness h > Transmission peak is narrowed when h is increased



#### Linear results:



Schematic of the holey metallic plate (HMP) device

Yellow region: metal **Blue region: Kerr material** 



#### Nonlinear results:



#### **Transmission spectra**

- > Red shift when dielectric of Kerr material increases
- > FDTD calculation agrees with Model calculation
- Thickness is only 1/25 of the wavelength Threshold independent of the film thickness ◆ Saturation increases when *h* increased Strongly depend on width of the aperture Difference between FDTD and model
- because of self-phase modulation

#### Model calculation

Linear transmittance at normal incidence

$$T = \left| \frac{4Y_0 Y_{\text{hole}} e^{iq_z h}}{\left(Y_0 + Y_{\text{hole}}\right)^2 - \left(Y_0 - Y_{\text{hole}}\right)^2 e^{2iq_z h}} \right|^2$$



> Permittivity of the Kerr medium > E field enhanced by the area correction and  $(1/S_0)^2$ 

$$S_0 = \frac{\int_{\text{hole}} (\vec{E}^{\text{inc}})^* \cdot (\vec{E}^{\text{wg}}) dx dy}{\sqrt{\int_{\text{unit cell}} |\vec{E}^{\text{inc}}|^2 dx dy} \cdot \int_{\text{hole}} |\vec{E}^{\text{wg}}|^2 dx dy}}$$

 $\succ$  S<sub>0</sub>: Overlapping integral between incident wave & fundamental waveguide mode  $\succ$  S<sub>0</sub>: Characterizes the Q-factor and field enhancement inside the aperture



Threshold decreases when  $S_0$  becomes smaller Threshold is independent on *h* 

# **Conclusions:**

 Ultra-low bistability threshold  $(4.85 \times 10^{16} V^2/m^2)$  that is 3500 times smaller than conventional optical bistable device •Operation in a wavelength of 1500 micron (~0.2 THz), the thickness of the device can be as thin as 60 microns (1/25 of the wavelength)

•Device supports an operating bandwidth of 19 GHz







#### •1. W. Chen, and D. L. Mills, Phys. Rev. B **35**, 524 (1987).

