

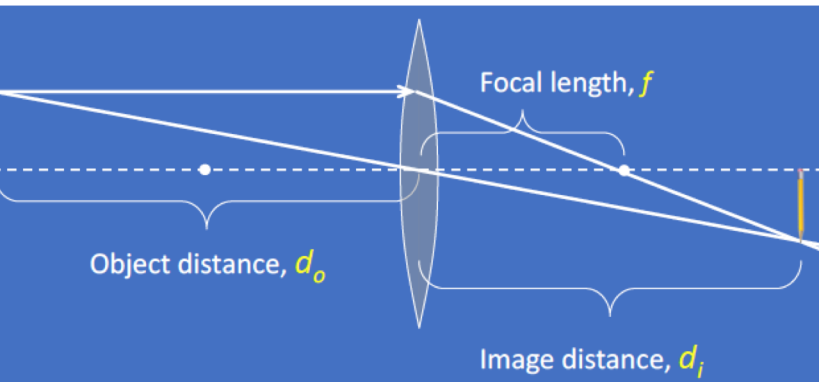
The background features abstract, flowing waves in shades of red, orange, and yellow, creating a dynamic and energetic feel. The waves are layered and semi-transparent, giving a sense of depth and movement.

# DISCUSSION

Rui Peng

# REVIEW OF THE LABS

## Converging Lens



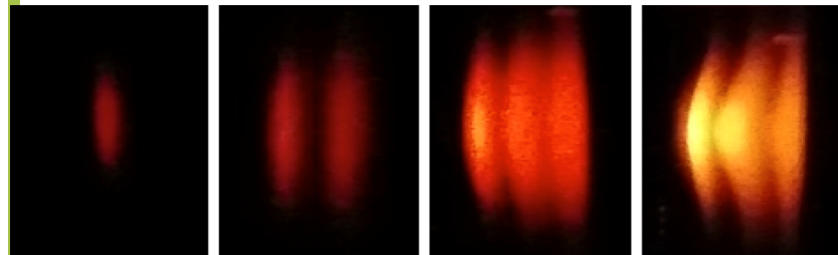
**Focal length( f ):**

$$\frac{1}{d_i} + \frac{1}{d_o} = \frac{1}{f} \Rightarrow f = \frac{d_i \times d_o}{d_i + d_o}$$

determine the focal length  
using different methods

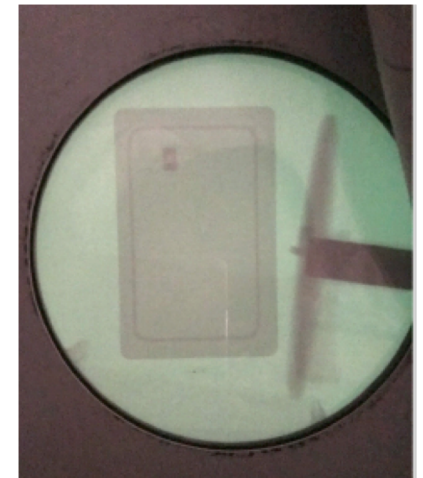
## Frank Hertz Exp.

Observe Light emission.  
Quantized excitation/deexcitation  
of Neon atoms



Determine the first  
excitation potential

## X-ray Experiment



X-ray diffraction on single crystal

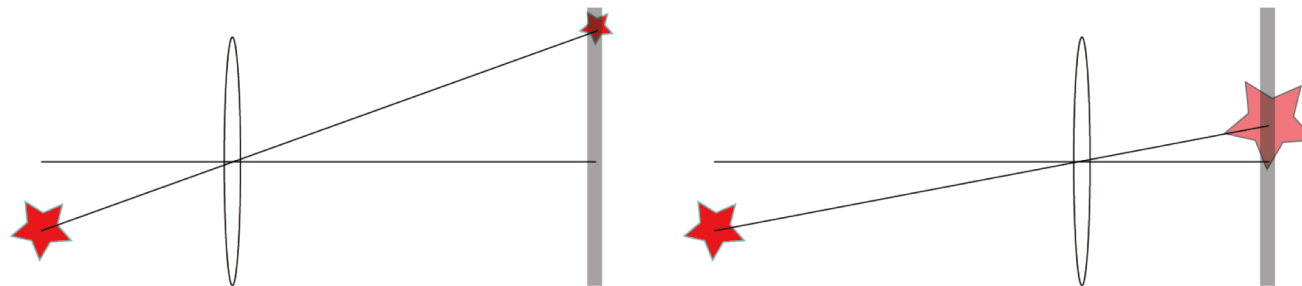
# DISCUSSION 1.1 OPTICAL ALIGNMENT

- What parameters do you adjust to reach the optical alignment?



- How can you do optical alignment? (roughly, precisely) In what order do you adjust the optical elements?

Bessel approach



## 1.2 FOCAL LENGTH BY USING LENS EQUATION:

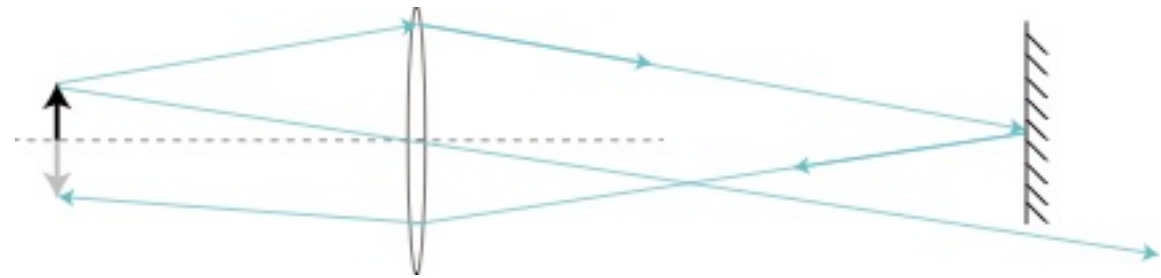
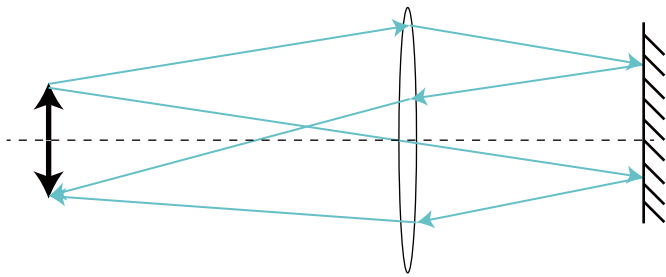
- How does your measured focal length change with decreasing  $d_o$ ? Why?

$$\frac{1}{d_i} + \frac{1}{d_o} = \frac{1}{f} \Rightarrow f = \frac{d_i \times d_o}{d_i + d_o}$$

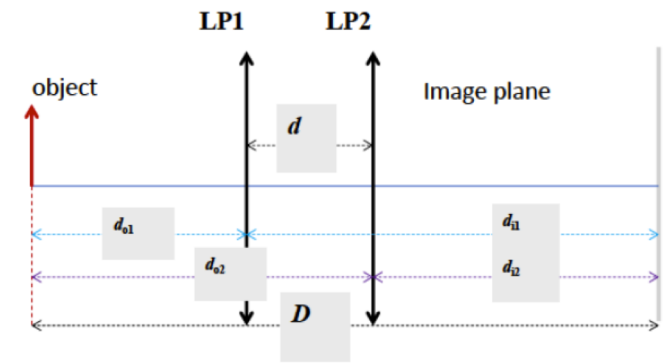
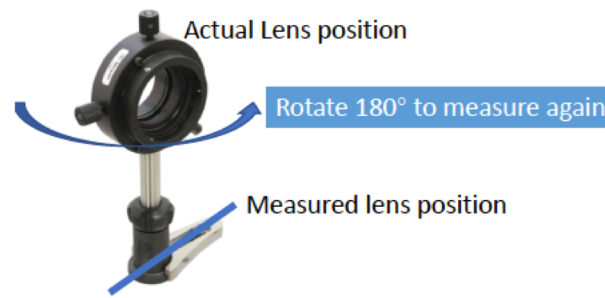
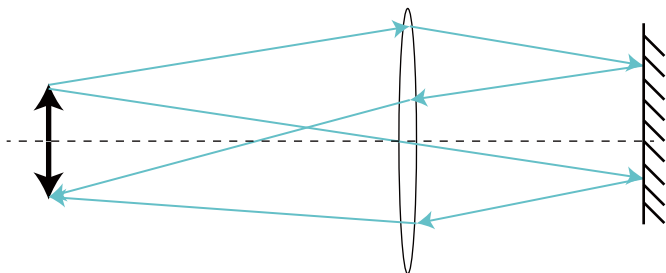
$f$  is the inherent property of the converging lens. It does not change with  $d_o$ .

# 1.3 AUTOCOLLIMATION APPROACH:

- How does the result affected by the distance between the lens and the mirror?

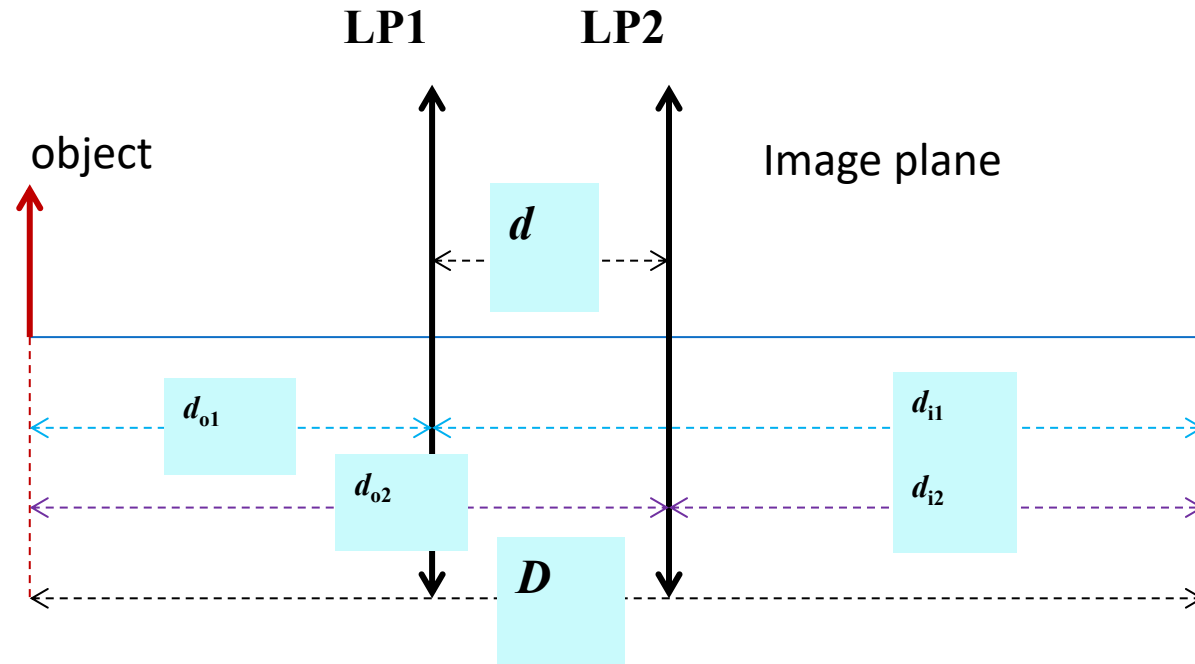


- Why we need to rotate the lens by 180 degrees? Is it required in the Bessel approach? Why?



# 1.4 BESSEL APPROACH:

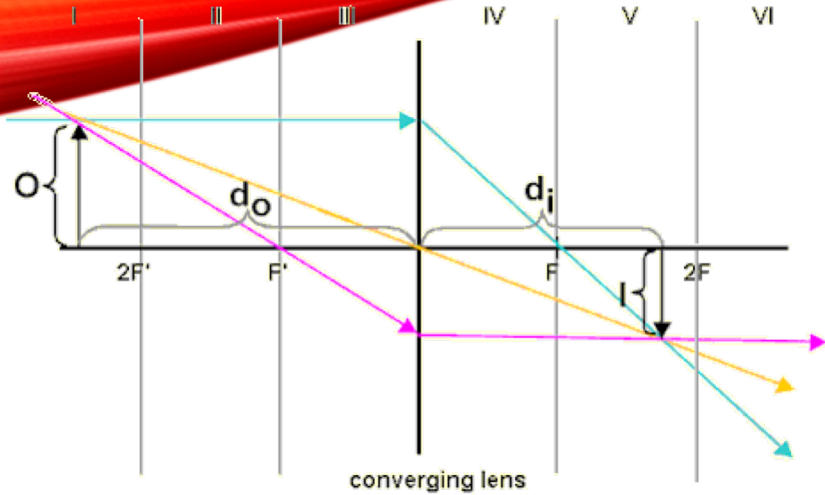
- Why we need the distance between the object and the image plane larger than  $4f$ ?



$$f = \frac{D^2 - d^2}{4D}$$

$D > 4f$ , why?

## Image properties of Converging Lens



- Region I** is greater than two focal lengths in front of the lens.
- Region II** is between one and two focal lengths in front of the lens.
- Region III** is within one focal length in front of the lens.
- Region IV** is within one focal length behind the lens.
- Region V** is between one and two focal lengths behind the lens.
- Region VI** is beyond two focal lengths behind the lens.

### Region III

$$f = 10\text{cm}$$

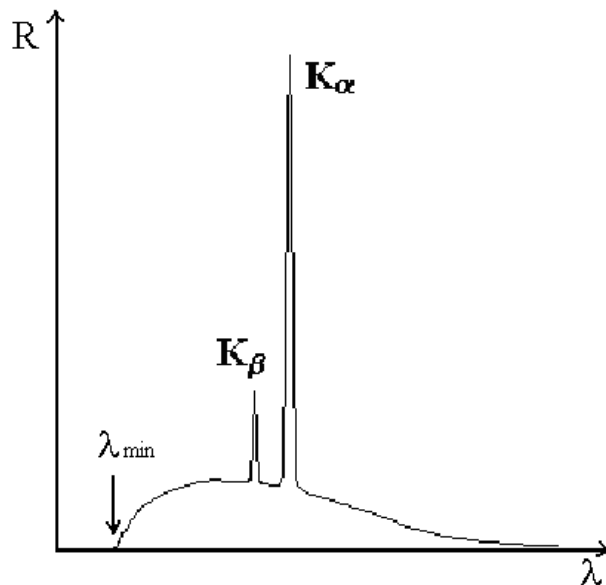
$f < d_0 < 2f$		Upside down
$d_0 = 2f$		Larger Upside down Real image $M > 1$ Real image $M > 1$

$$f = \frac{D^2 - d^2}{4D}$$

$$d^2 = D^2 - 4Df = D(D - 4f) \geq 0$$

# 2.1: X-RAY EXPERIMENT

- 1. In this experiment, how does the I of the X ray tube affect the lineshape of the characteristic X-ray (bremsstrahlung X ray)?
- 2. In this experiment, how does the U of the X ray tube affect the lineshape of the characteristic X-ray (bremsstrahlung X ray)?



Hint: What is the X-ray energy for Mo  $K_{\alpha}$  and  $K_{\beta}$  radiation?

Anode: Mo

$K_{\alpha}$ :  $\lambda_1 = 0.0711 \text{ nm}$

$K_{\beta}$ :  $\lambda_2 = 0.0632 \text{ nm}$

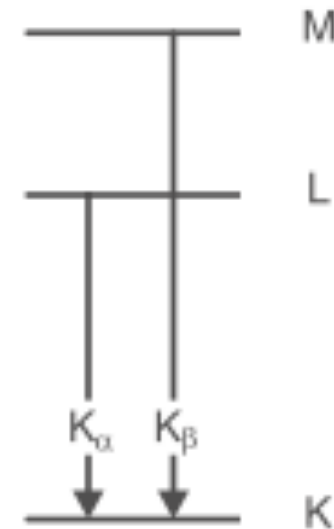
$$E = \frac{hc}{\lambda}$$

$$1 \text{ eV} = 1.60217662 \times 10^{-19} \text{ J}$$

$$(e = 1.6 \times 10^{-19} \text{ C},$$

$$h = 6.62 \times 10^{-34} \text{ J}\cdot\text{s}$$

$$c = 3.0 \times 10^8 \text{ m/s})$$





## 2. HOW TO CALCULATE THE LATTICE CONSTANT OF THE NaCl CRYSTAL?

Tips:

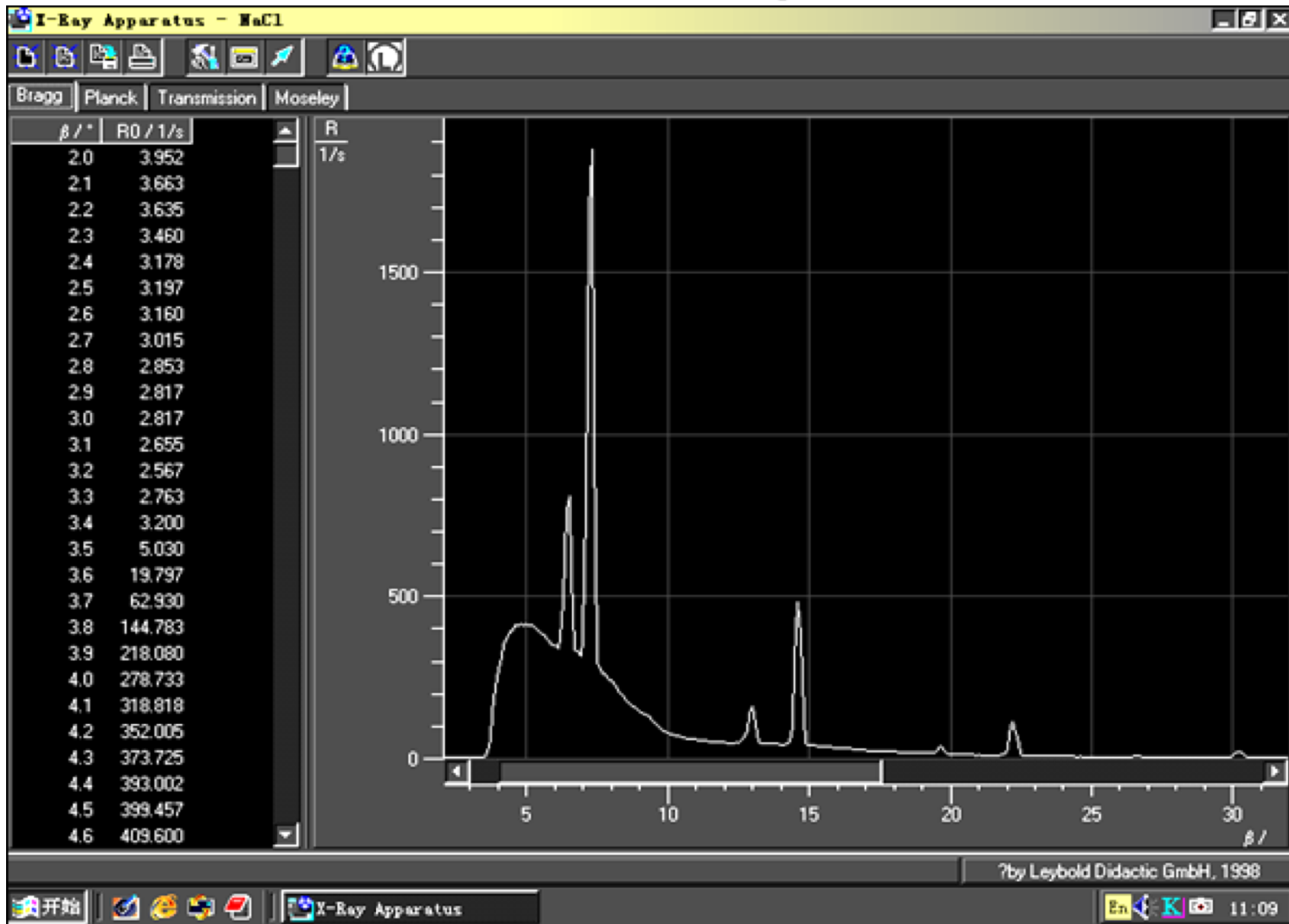
Bragg law:

$$2d \sin\beta = k\lambda, \quad k=1,2,3,\dots$$

Can you draw the schematic view of our experiment?

What is the beta angle?

### 3. How to calculate the $\lambda_{\min}$ based on your Intensity- $\beta$ curve



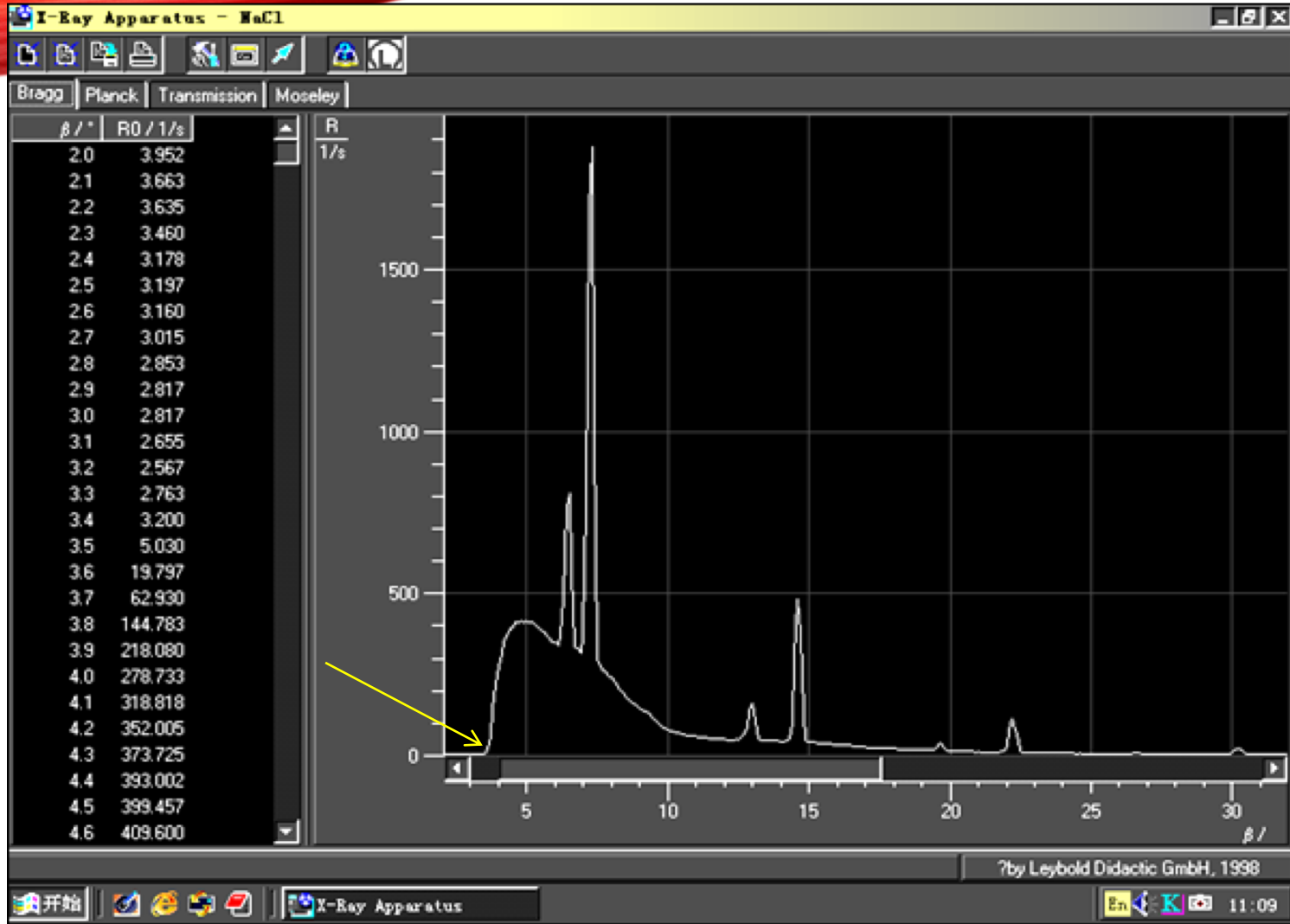
$$2d \sin\beta = k\lambda, \quad k=1,2,3,\dots$$

$$d \sim 0.283 \text{ nm}$$

$$\beta_{\min} = 3.5 \text{ degrees}$$

$$\lambda_{\min} = ?$$

Why do we have such a  $\lambda_{\min}$ ?



$$2d \sin\beta = k\lambda, \quad k=1,2,3,\dots$$

$$d \sim 0.283 \text{ nm}$$

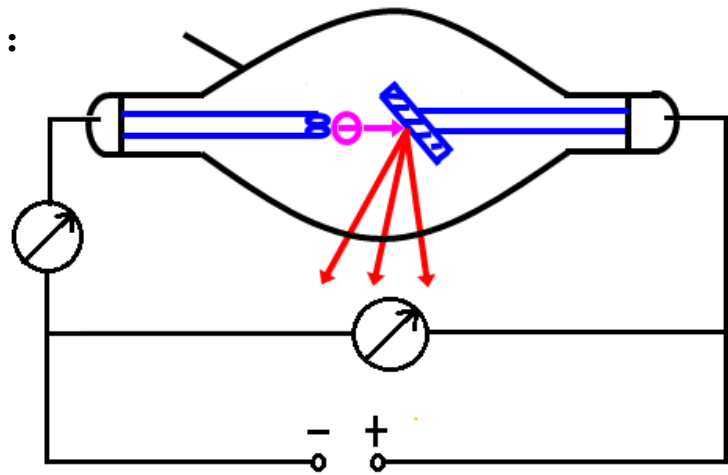
$$\beta_{\min} = 3.5 \text{ degrees}$$

$$\lambda_{\min} = 0.0346 \text{ nm}$$

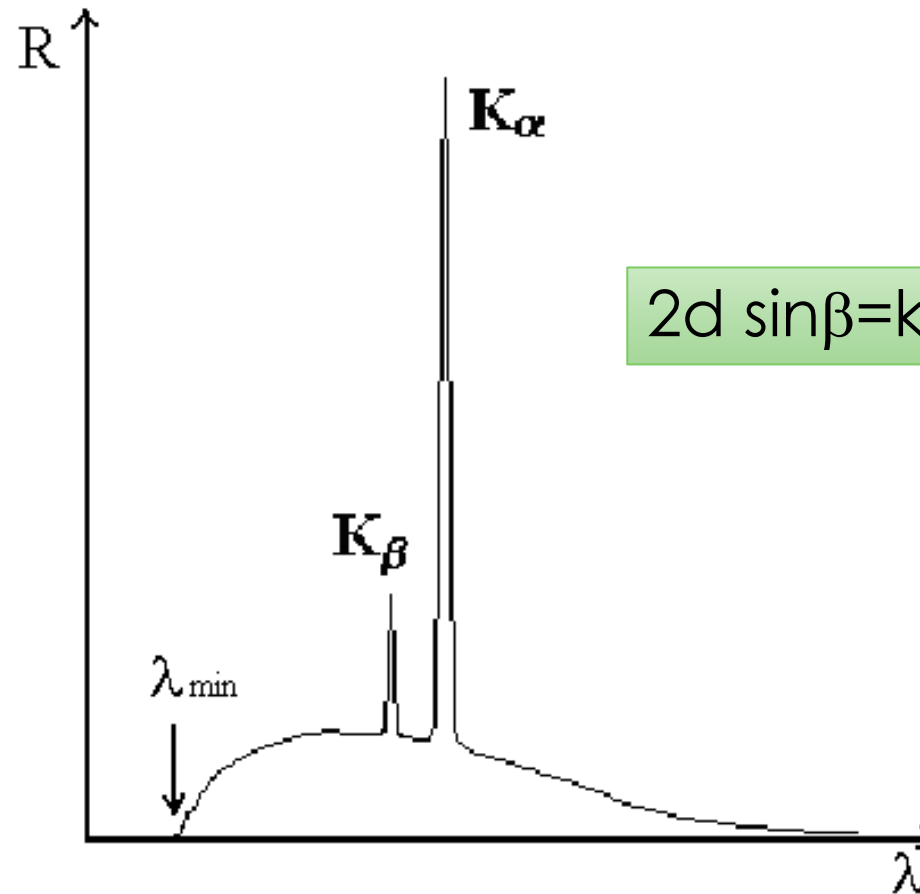
$$E = hc/\lambda \sim 35 \text{ keV}$$

### 3. How to calculate the $\lambda_{\min}$ based on your Intensity- $\beta$ curve

Tips:



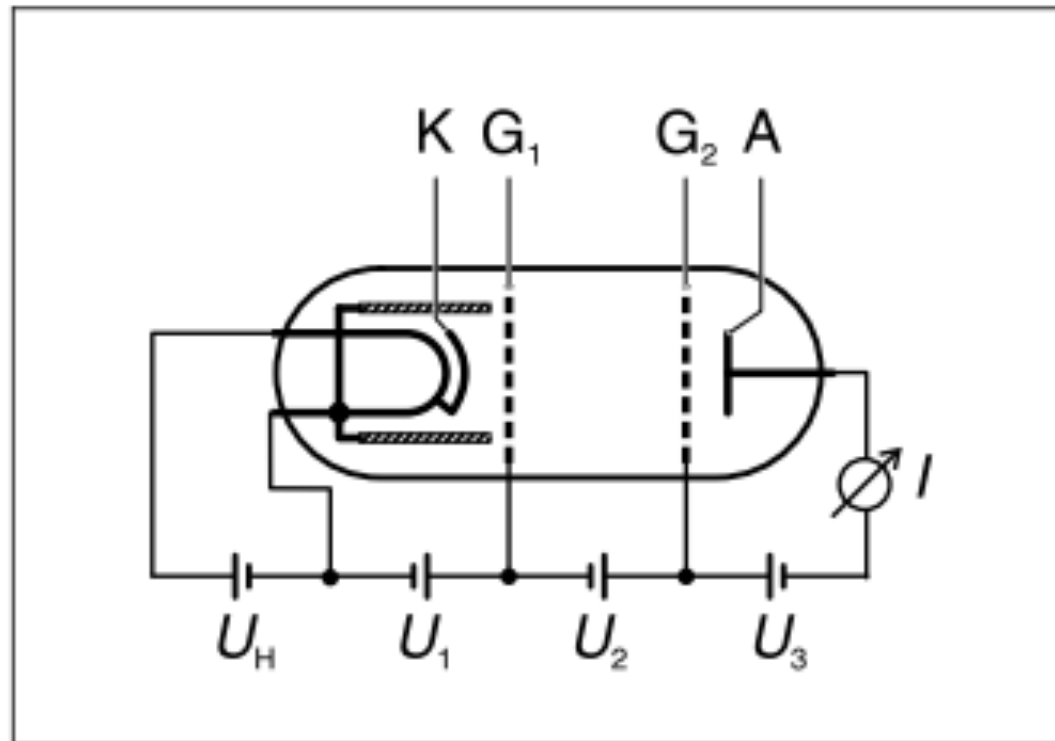
Energy conservation:  
 $hc/\lambda = \Delta E$   
Limit wavelength  
 $hc/\lambda_{\min} = E - 0$



$$2d \sin\beta = k\lambda, \quad k=1,2,3,\dots$$

# FRANK-HERTZ

How do luminance layers look like as  $U_1(U_2, U_3)$  is changed independently? Why?

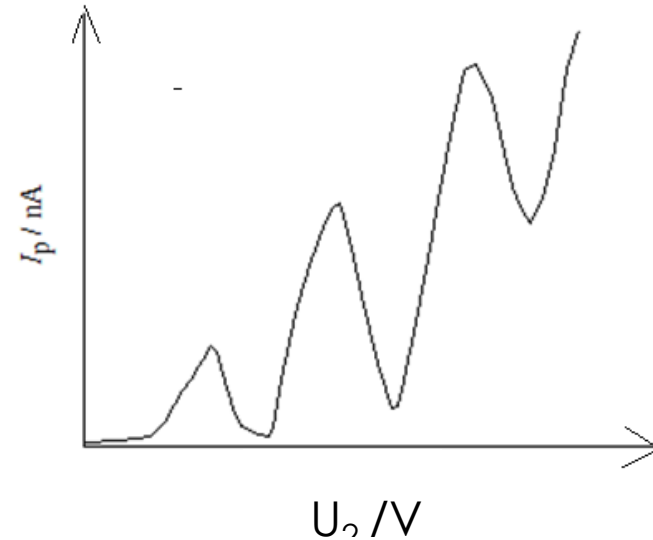


How can you change the number of electrons between  $G_1$  and  $G_2$ ?  
How can you change electron energy?

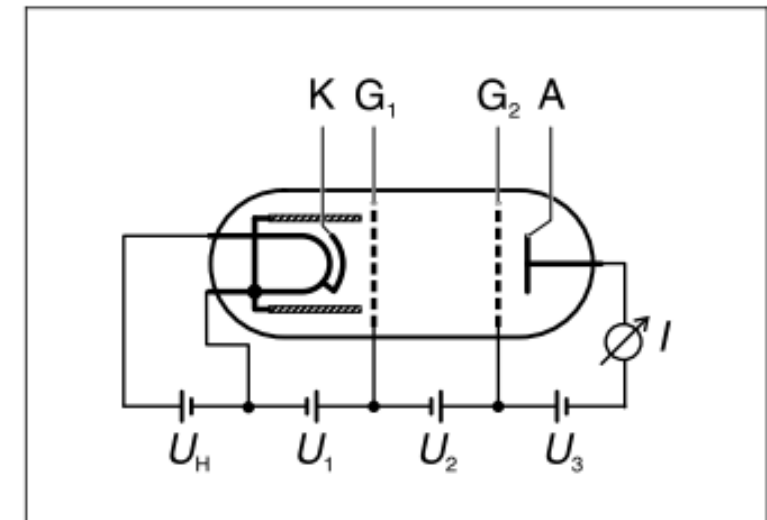
## 2. WHY THE CURRENT OF THE PEAKS AND THE TROUGHS OF THE CURVE INCREASE WHEN $U_2$ IS INCREASED?

**Absorbs more energy and more electrons can reach the collector.**

$$I = nAvQ \quad \mathbf{U_1 \text{ is not changed.}}$$

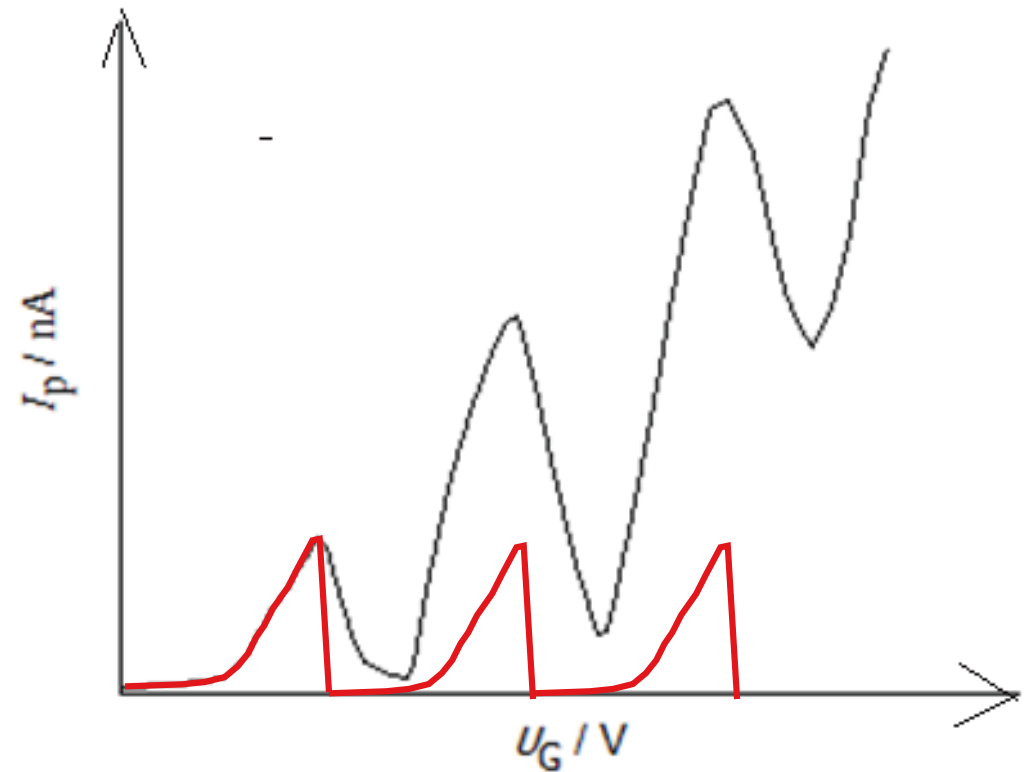
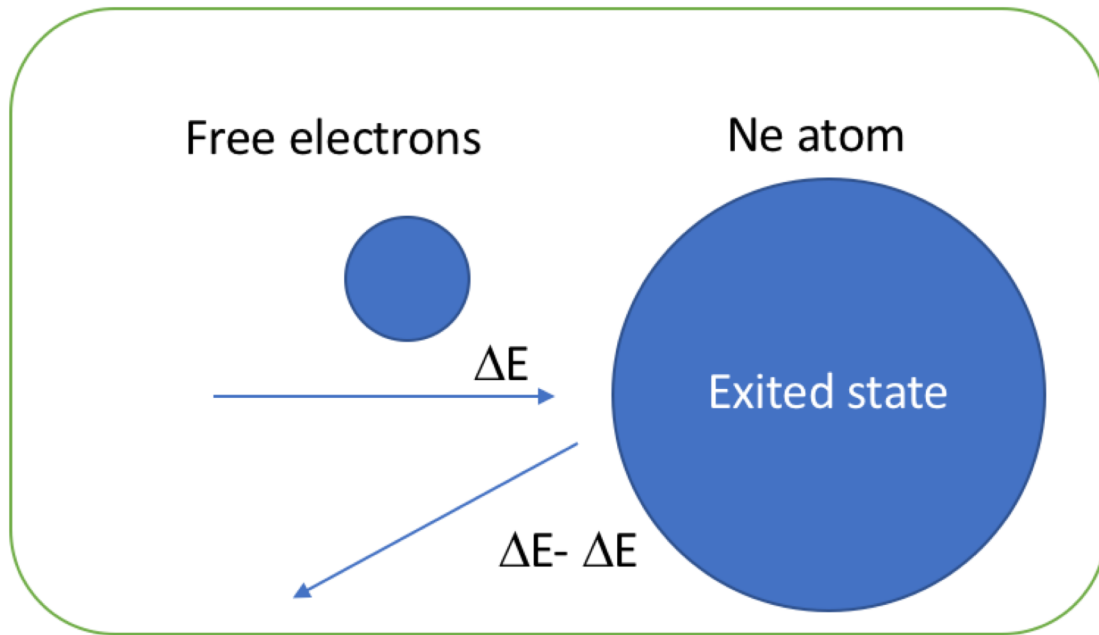


If all the electrons collide with Ne atoms, what would happen? Will the the current of the peaks and the troughs of the curve increase?



# IF ALL THE ELECTRONS COLLIDE WITH THE NEON ATOMS

$E(\text{electron}) \geq \Delta E$ , inelastic collision

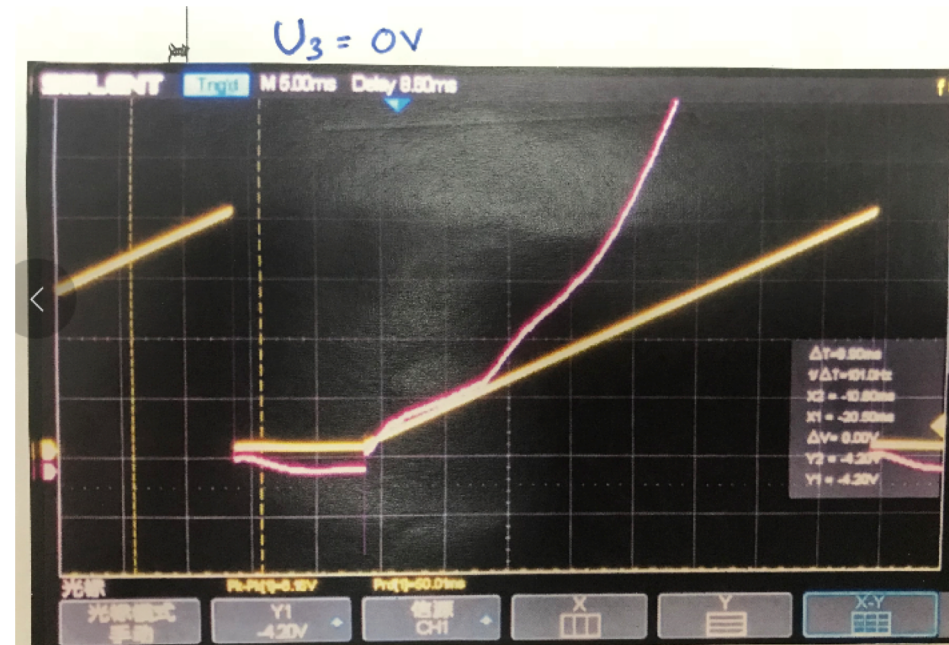
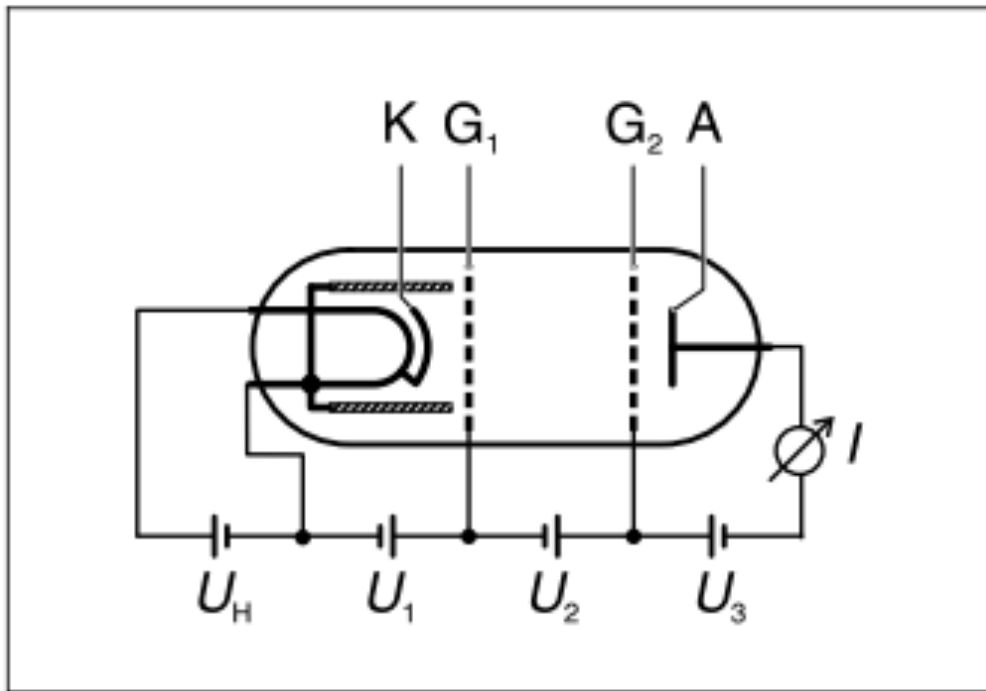


There is a chance of collision. Not all electron collides with the Neon atoms. For the electrons not collide with Neon atom, its  $v$  will increase with increasing  $U_2$ .

$$I = nAvQ$$

### 3. WHY DO WE NEED A DECELERATION VOLTAGE $U_3$ ?

It is necessary to apply a deceleration voltage so that a reading of current can be read.





# 4. WHAT IS THE WAVELENGTH CORRESPONDING TO THE FIRST EXCITATION POTENTIAL? IS IT RELATED WITH THE LUMINANCE LAYER?

$$E=hc/\lambda \sim 16.7\text{eV}$$

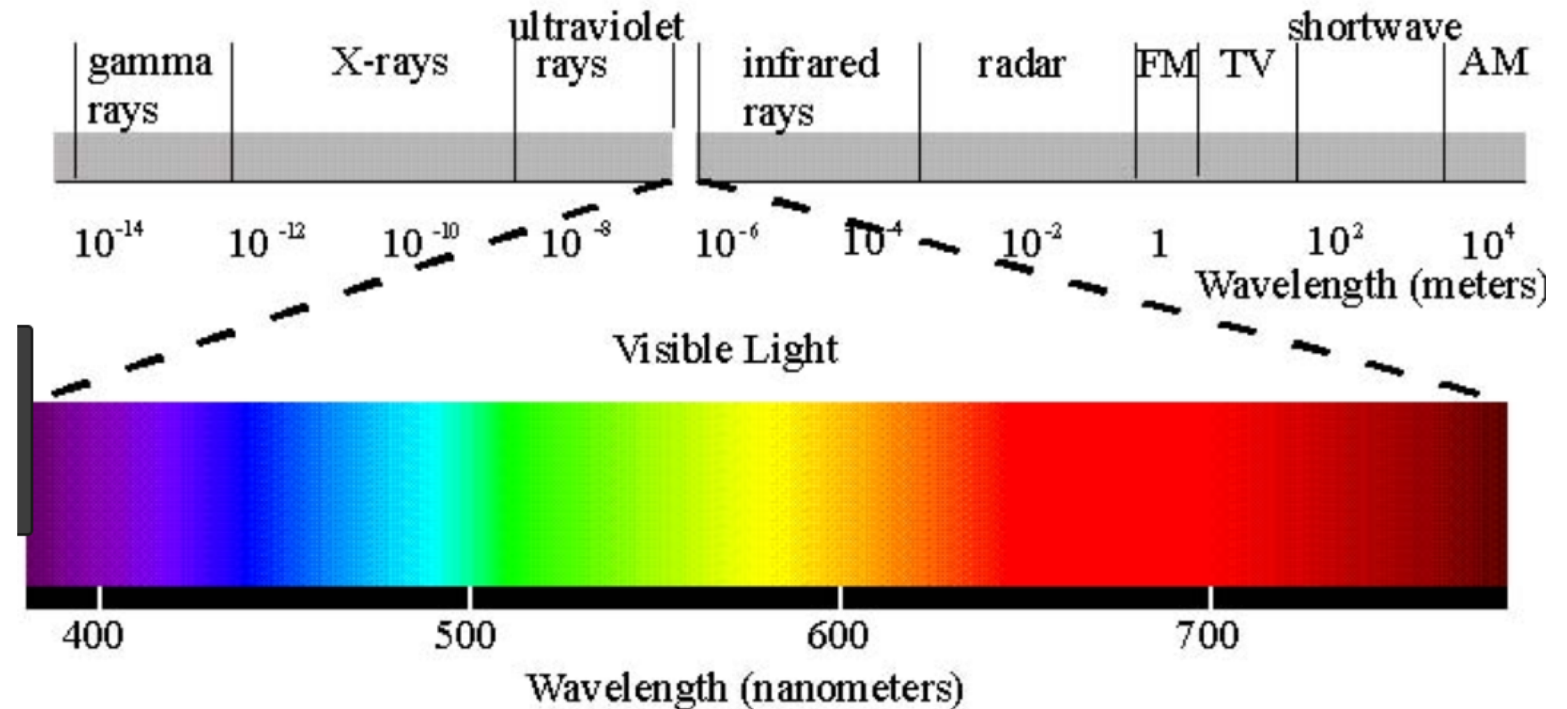
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$$(e = 1.6 \times 10^{-19}\text{C},$$

$$h = 6.62 \times 10^{-34}\text{J}\cdot\text{s}$$

$$c = 3.0 \times 10^8\text{m/s})$$

$$\lambda = ? \quad \mathbf{74.2\text{nm}}$$



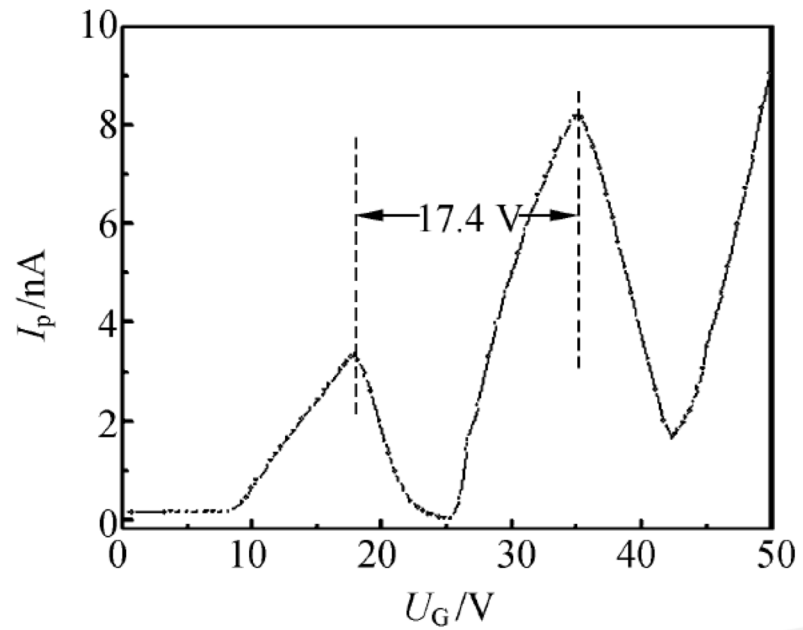
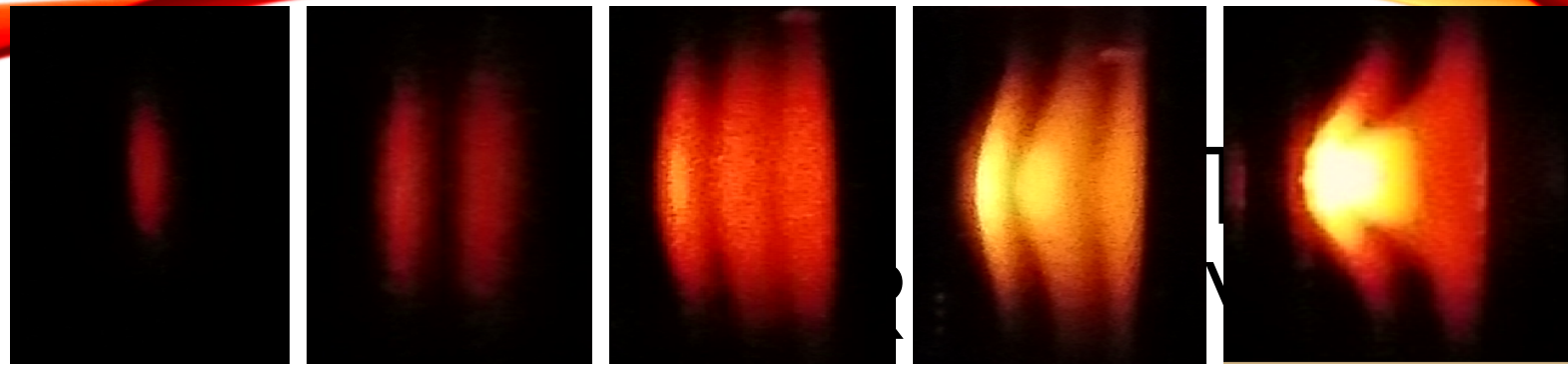


图 2  $I-U$  曲线

